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International Macroeconomics Economics of exchange rates

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This session: Economics of exchange rates

• How can we explain observed movements in real and nominal exchange rates, in the short and long-run?

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What this session doesn't look at...

- Market micro-structure models
- Micro-founded models with nominal rigidities
- The role of markups and producer vs. local currency pricing with imperfect competition

Learning points

- Real exchange rate innovations are very long-lived.
- Nominal and real exchange rates are very volatile, with increased volatility for flexible ER regimes.
- The relative importance of relative non-traded goods prices in RER fluctuations is higher than we once thought.
- Better data based on individual relative prices yields different results for LoOP and PPP.
- Long-run real exchange rates behave not unlike the standard Balassa-Samuelson model.
- The simple overshooting model correctly predicts high volatility, but ultimately we don't have a good model for nominal exchange rates.

Roadmap for this section

- 1. RER and the TOT in the models we have seen so far
- 2. Short-run exchange rate movements and monetary models
- 3. PPP, the importance of traded goods, and the long-run behaviour of real exchange rates

RER and the TOT so far: Summary

- 1. RER and ToT movements crucial for transmission of shocks
- 2. RER dynamics crucial in arbitrage across assets
- 3. Law of one price holds in all models. PPP does not hold if preferences differ across countries.
- 4. Real shocks drive fluctuation in RER and ToT.

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Roadmap for this section

- 1. RER and the TOT in the models we have seen so far
- 2. Short-run exchange rate movements and monetary models
 - LoOP deviations and the border effect
 - Nominal exchange rate changes and the LoOP
 - Ad hoc monetary models of nominal exchange rates
 - Empirical tests of UIP

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I The short run: Volatility, regime dependence and disconnect

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Volatility of LoOP deviations

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Volatility of LoOP deviations: Engel and Rogers (1996)

- Analyse relative volatility in intra- vs. international relative prices, using city-specific **indices** for CPI components in US and Canada. Find:
 - Volatility of relative prices increases with distance within countries
 - The US-Can border is between 2500 to 23000 miles wide.
 - Relative prices are significantly correlated with nominal exchange rates

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Factors preventing goods arbitrage

- 1. Transport costs imply non-linear reaction of trade arbitrage to relative price differences
- 2. Price differences due to non-tradable inputs cannot be arbitraged by definition
- 3. Tariffs
- 4. Non-tariff barriers
- 5. Pricing to market by monopolistic producers

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LoOP strikes back: Broda and Weinstein (2008)

- Use Barcode data from supermarket transactions in US and Canada
 - The effect is much smaller: Border is between 3 and some hundred miles wide.
 - Reason for difference: Indices average out difference in relative prices.
 - Differences due to exchange rates are common for all goods, so do not average out.

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Volatility and regime dependence of nominal and real exchange rates

Volatility and regime dependence: Nominal and real exchange rates (US\$-DM)



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Volatility and regime dependence: Nominal and real exchange rates (US\$-DM)



Source: Monacelli 2003

 RER and NER comove strongly, much more volatile than price levels

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Monetary shocks and short-run ER movements

- 1. Comovement of RER NER, and high volatility makes nominal shocks more likely as source of SR fluctuations
- 2. Traditional monetary models of exchange rates
 - 2.1 The standard flex-price model
 - 2.2 The Dornbusch overshooting model

SR ER MODELS

LR ER MODELS

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The standard flex-price model of exchange rates

Recap: The standard flex-price model of exchange rates

- 1. MD in logs: $m_t p_t = -\nu i_{t+1} + \phi y_t$
- 2. y_t and MS are exogenous
- 3. UIP: $i_{t+1} = i_{t+1}^{\star} + E[e_{t+1}] e_t$
- 4. *PPP*: $e_t = p_t^* p_t$
- 5. Eliminating p_t and i_{t+1} from (1) using PPP and UIP yields

$$m_t - \phi y_t - \nu i_{t+1}^{\star} - p_t^{\star} - e_t = -\nu (E[e_{t+1}] - e_t)$$
(1)

6. Solve forward and impose convergence to PPP (lim $e_t = 0$) to get

$$e_t = \frac{1}{1-\nu} \sum_{s=t}^{\infty} (\frac{\nu}{1-\nu})^{s-t} E_t (m_s - \phi y_s - \nu i_{s+1}^* - p_s^*)$$
 (2)

7. So MS level (growth) shocks affect NER level 1 to 1 (more than 1-to-1).

The standard flex-price model of exchange rates

1. HW: Show that with a change in the growth rate from 0 to g the ER change is

$$\Delta e_t = (1+\nu)g \tag{3}$$

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The Dornbusch overshooting model of exchange rates

• What are the implications of monetary shocks for nominal and real exchange rates when prices are not fully flexible

The Dornbusch overshooting model of exchange rates $(OR \ 9.2)$

- 1. MD in logs: $m_t p_t = -\nu i_{t+1} + \phi y_t$
- 2. y_t demand-determined, via AD: $y_t = \overline{y} + \delta(e_t + p_t^{\star} p_t \overline{q})$
- 3. UIP: $i_{t+1} = i^* + E[e_{t+1}] e_t$
- 4. *RER*: $q_t = e_t + p_t^* p_t$
- 5. PhC: $p_{t+1} p_t = \psi(y_t \overline{y}) + (\widetilde{p_{t+1}} \widetilde{p_t})$, for $\widetilde{p_t} = e_t + p_t^* - \overline{q}$, or $\widetilde{p_{t+1}} - \widetilde{p_t} = e_{t+1} - e_t + p_{t+1}^* - p_t^*$
- 6. Assuming $p^* = i^* = \overline{y} = 0$, PhC yields

$$p_{t+1} - p_t = \psi(y_t - \overline{y}) + e_{t+1} - e_t \Rightarrow q_{t+1} - q_t = -\psi\delta(q_t - \overline{q})$$
 (4)

7. From $RER - p_t = q_t - e_t$, from $UIP \ i_{t+1} = E[e_{t+1}] - e_t$, plus AD in MD yields

$$m_t - e_t + q_t = -\nu(E[e_{t+1}] - e_t) + \phi\delta(q_t - \overline{q}), \quad \text{in } (5) \text{ for } (5$$

The Dornbusch overshooting model of exchange rates

$$q_{t+1} - q_t = -\psi \delta(q_t - \overline{q}) \tag{6}$$

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$$m_t - e_t + q_t = -\nu(E[e_{t+1}] - e_t) + \phi\delta(q_t - \overline{q})$$

$$e_t \quad (1 - \delta\phi)q_t \quad \phi\delta\overline{q} + m_t$$
(7)

$$\Delta e_{t+1} = \frac{e_t}{\nu} - \frac{(1 - o\phi)q_t}{\nu} - \frac{\phi oq + m_t}{\nu} \tag{8}$$

- 1. Shock Δm to MS leads to fall in interest rate, so $E[e_{t+1}] - e_t < 0$ from UIP
- 2. So both RER and NER overshoot steady state.
- 3. Model implies REAL UIP

$$\dot{b}_{t+1}-(p_{t+1}-p_t)=q_{t+1}-q_t=-\psi\delta(q_t-\overline{q})$$

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Evaluation of traditional monetary exchange rate models

- Usual criticism of ad hoc models applies.
- Empirically, Dornbusch model seems to account for effects of monetary reforms.
- Also, explains volatility of RER by SR nominal rigidity and asset-price character of NER
- But: Model hinges on LR PPP and both real and nominal UIP
- Meese and Rogoff (1983): Both flex and sticky price models do worse than random walk in predicting exchange rate movements

UIP and the forward premium puzzle

• UIP:
$$1 + i_{t+1} = (1 + i_{t+1}^{\star})E[\frac{e_{t+1}}{e_t}]$$

• CIP:

$$1 + i_{t+1} = (1 + i_{t+1}^{\star}) \frac{F_t}{e_t} \tag{9}$$

for F_t 1-period forward exchange rate. NB: no E[..]!

• Null hyp. that UIP holds on average (or that F_t is unbiased predictor of E_t) implies $a_1 = 1$ in

$$e_{t+1} - e_t = a_0 + a_1(f_t - e_t) + \epsilon_t$$
 (10)

- Estimates *a*₁ are often negative!!
- Time-varying risk-premia bias a_1 downward. But need negative $cov(RP, e_{t+1} - e_t)$ to explain negative $\widehat{a_1}$.

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UIP and the forward premium puzzle

- UIP works better in high inflation environments, on coarse horizons, in fixed exchange rate regimes
- Surveys: Engel (1996), Bansal and Dahlquist (2000).

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II. The long run: RER persistence and income levels

Nominal and RER De / Jap - US



Source: Papell 2002

• Large Long-run movements, and trends, in RER

LR ER MODELS

Income levels and RER



1995 PWT data, Source: Taylor and Taylor 2004

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Higher income - more appreciated RER

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II.a PPP: Stationarity and mean reversion of RER

Traditional tests for PPP

- Necessary condition for PPP: stationarity
- Test Null hypothesis $\rho=1$ against alternative $\rho<1$ in OLS regression

$$q_t = \rho q_{t-1} + \epsilon_t \tag{11}$$

where q_t is the RER based on CPI prices or some other price index

- Early studies cannot reject Null
- Later studies, using e.g. panel autoregressions, reject Null, but find estimates of ρ around 0.85, implying *half life* of 3-5 years.

Imbs et al: PPP strikes back!

- PPP autoregression is based on indices of individiual prices
- Suppose individual prices have heterogeneous slope coefficients ρ_i

$$q_{it} = \rho_i q_{it-1} + \epsilon_{it} \tag{12}$$

where $Ep\epsilon_{it}] = 0$ and $Var_{\epsilon_i} = \sigma_i^2$, and $\rho_i \in]-1, 1[$ with mean ρ

 Show that heterogeneity in ρ_i can bias estimates for ρ based on aggregate indices

Imbs et al: PPP strikes back!

$$q_{it} = \rho_i q_{it-1} + \epsilon_{it}, \ Var(\epsilon_{it}) = \sigma_i^2$$
(13)

• Proposition 1: Sign of bias is given by

$$\Sigma_i(\rho_i - \rho)\sigma_i^2 \tag{14}$$

- Very intuitive: Estimate of average slope coefficient is biased in direction of most volatile individual components. So if cov(ρ_i, σ²_i) > 0 get positive bias
- Using Eurostat data, find strong positive bias in aggregate estimates
- Average half-life 11 months, vs. "consensus" view (Engel 1996) of 3-5 years

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II.b What drives RER movements?

What drives RER movements? - Engel (1996)

- Definition of RER: $q_t = s_t + p_t^* p_t$
- Write price index as geometric average of traded and non-traded prices $p_t = (1 \alpha)p_t^T + \alpha p_t^N$
- So can write

$$q_t = s_t + p_t^{\star T} - p_t^T - \alpha [p_t^{\star N} - p_t^{\star T} - (p_t^N - p_t^T)]$$

= $q_t^T + q_t^N$ (15)

- So RER is sum of relative price of tradables and difference between nontradables-prices relative to tradable prices
- "Engel decomposition" can be used to understand relative importance of non-tradable goods prices in RER fluctuations

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What drives RER movements? - Engel (1996) cont

$$q_{t} = s_{t} + p_{t}^{\star T} - p_{t}^{T} - \alpha [p_{t}^{\star N} - p_{t}^{\star T} - (p_{t}^{N} - p_{t}^{T})] = q_{t}^{T} + q_{t}^{N}$$
(16)

- Engel computes the contribution of changes Δq^N_t to Δq_t at differenct horizons
- Contribution of Δq_t^N is almost negligeable!

q_t^T Strikes back - Burstein et al (2005, 2006))

- Engel identifies all goods as tradables
- But:
 - 1. Does not account for non-tradable inputs into tradables (distribution costs)
 - 2. Many goods are de facto non-traded ("local goods")
- Burstein et al use import/ export price indexes of "prices at the dock"
- For US quarterly data 1975-2002, find that q_t^N may account for between 56 and 70 percent of variation in tradables.

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The RER in the long-run: The Balassa Samuelson model

LR ER MODELS

Price levels and RER



1995 PWT data, Source: Taylor and Taylor 2004

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1995 PWT data, Source: Taylor and Taylor 2004

• Higher income - more appreciated RER

Balassa-Samuelson effects across countries



Source: Rogoff 1996

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Higher income - more appreciated RER

Japan-US CPI and WPI exchange rate



Figure 4. Yen/U.S.\$ CPI and WPI based real exchange rates: Jan. 1960–Apr. 1995Source: International Financial Statistics

Source: Rogoff 1996

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Higher income - more appreciated RER

The RER in the long-run: The Balassa Samuelson model (OR 4.2)

- Consider effect of long-term productivity differentials on RER
- 2 country model
- 2 sectors: traded (T) and non-traded (N) goods, produced using $A_T^{(\star)} F(K_T^{(\star)}, L_T^{(\star)}), A_N^{(\star)} G(K_N^{(\star)}, L_N^{(\star)})$
- Preferences standard VNM over composite of both goods

$$c_t = c_{Nt}^{\gamma} c_{Tt}^{1-\gamma} \tag{17}$$

- Price index $P_t = p_t^{1-\gamma}, P_t^{\star} = p_t^{\star 1-\gamma}$
- Investment is done in tradables.
- Capital mobility implies equal interest rate in terms of tradables *R*
- Perfect foresight for simplicity

Equilibrium

• MPK in tradables equalised across countries (for

 $f = F/L, \ k = K/L)$

$$A_T f_k(k) = p A_N g_k(k) = A_T^* f_k(k) = p^* A_N^* g_k(k) = R_t \quad (18)$$

- 0-profit condition for T,N firms, log-linearised $\mu_T w_T = A_T$, $p + A_N = \mu_N w_N$ for μ the labour share
- Labour-market clearing $w_T = w_N$: $\hat{p} = \frac{\mu_N}{\mu_T} \widehat{A_T} A_N$
- So if non-tradables are labour intensive, relative rise in productivity of tradables will increase relative price of non-tradables, and thus price level
- RER differential is

$$\widehat{P} - \widehat{P}^{\star} = (1 - \gamma) \left[\frac{\mu_N}{\mu_T} (\widehat{A_T} - \widehat{A_T}^{\star}) - (A_N - A_N^{\star}) \right]$$
(19)

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Summary

- We don't have a good model of NERs. But microstructure models are promising.
- Tests of PPP and LoOP yield very different results when accounting for heterogeneity in price dynamics.
- Importance of relative non-traded goods prices is understated when using CPI data.

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International Macroeconomics Economics of exchange rates

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Stockholm Doctoral Program in Economics